Prof. Marcus Kracht: Ling 20. Fall 2007.
Assignment B [Week 2] (Do exercises for a total of 20 points only. If you do more, clearly indicate which exercises are to be counted.)
[B1.] (10 Points) Assume the following classification system for consonantal phonemes of English. It uses the following attributes and values: place with values: bilabial, dental, labiodental, alv(eolar), p(alato)alv(eolar), velar and glottal; mANNER with values stop, fric(ative), nas(al), and c(entral) approx(imant) and $l$ (ateral) approx(imant), and voice with values + and -. (See Table 9.)
[a] Give 5 natural classes. Show the AVS and the set of phonemes it describes.
[b] Give at least two examples of classes that are not natural. (Indicate why you think that they are not natural.)
[c] The German stops are the same as the English ones. Assume that they are classified in the same way. Consider now the following data: at the end of a syllable in German, the following combinations of nasal and voiceless stop are legitimate (I give examples for your interest only): [ $\mathfrak{\mathrm { t }}$ ] (singt), [mt] (Samt), [nt] (rennt), [mp] (Klumpfuß), [ nk ] (Fink). Illegitimate are: [np], [np], [nk], [mk]. This is standardly analysed as follows. The final stop forces the nasal to assimilate with respect to place (but dentals do not). Try to formulate a single rule that performs the assimilation. Do you see any problems in doing so? What solution can you offer instead?
[d] Look at the phonotactic restrictions for combinations of nasal and final stop in English. Which ones exist and which ones do not?
[B2.] (10 Points) In English, [ k$]$ and $[\mathrm{k}]$ (plain velar and fronted velar stops, respectively) are allophones of the same phoneme. (Thus, in our definition, $/ \underset{+}{\mathrm{t}} /$ English $=/ \mathrm{k} /$ English. .) Consider the following data:

|  | ['kıtn] | co | [kap] | crack | k] |
| :---: | :---: | :---: | :---: | :---: | :---: |
| en | [ ${ }_{\text {kin }}$ ] | cool | [kul] | lock | [klak] |
| e | [kek] | cope | [kop] | quick | [kwik] |
| cat | [ ${ }_{\text {kret] }}$ | cook | [kvk] | extrac | [ 2 k 'stıækt] |
| lucky | ['1Aki] | cup | [kıp] | Exxon | ['eksan] |

[a] What is the environment in which $[\underset{+}{\mathrm{k}}]$ is found?
[b] What is the environment in which [ k ] is found?
[c] Decide on the basis of your answer to the previous question which of the sounds is less marked. Write rules of realization for the phoneme.
[d] Look at the following data and write an improved version of your rule using features. [g] is a fronted voiced velar stop. You may use [+fronted] to distinguish $[\underset{+}{\mathrm{k}}]$ from $[\mathrm{k}]$ and $[\mathrm{g}]$ from $[\mathrm{g}]$.

| gill | [gil] | got | [gat] | grog | [g.ag] |
| :---: | :---: | :---: | :---: | :---: | :---: |
| geese | [gis] | goose | [gus] | glimmer | ['glimx] |
| ame | [gem] | go | [go] | Gwendolyne | ['gwendələn] |
| ag | [gæg] | good | [gud] | eggs | [ $¢ \mathrm{gz}$ ] |
| soggy | ['sagi] | Gus | [ $\mathrm{g}^{\prime}$ S] | Muggsy | ['mıgzi] |

[B3.] (5 Points) Define a feature height with five values: upper high, lower high, upper mid, lower mid, low. What natural classes of English front vowels do you find? Now define instead binary features, $\pm$ high, $\pm$ low, $\pm$ upper. Here is how they correspond:

|  | high | low | upper |
| :--- | :--- | :--- | :--- |
| upper high | + | - | + |
| lower high | + | - | - |
| upper mid | + | + | + |
| lower mid | + | + | - |
| low | - | + | - |

What natural classes of front vowels do you now get? What would change if we defined low instead as -high, +low, + upper?
[B4.] (5 Points) Why is vowel length not considered distinctive in English? How about consonant length?

